# The Single to Right Field: Why Left-handed batters may be undervalued one Mike Trout Unit 


#### Abstract

This paper presents a scrappy but (I'd argue) coherent analysis of how a specific play in baseball is unaccounted for in common measures of player value, namely Wins Above Replacement. This inspection of the single with a runner on first (5\% of all plays) may point to a market inefficiency in professional baseball. Given that a batter singles with a runner on first, a left-handed batter advances the runner to third base .09 more times per plate appearance than does a right-handed batter. Unless front offices are already accounting for this disparity, a question not answerable in the scope of this paper, this arguably leads to a misuse of over $\$ 50$ million per year. Be warned that many values are rounded arbitrarily, but insignificantly (I hope), for reading ease and simplified methods.

\section*{Background}

Baseball has a rich history of statistical player evaluation. Bill James brought the field of advanced baseball statistics, or "sabermetrics", to an untapped community of mathematically-inclined baseball nerds in the late '70s, and Michael Lewis published Moneyball, the bestseller that documented the effectiveness of the Oakland Athletics' data-oriented player evaluation model, in 2003. Since James, and even more so since Moneyball, MLB teams, fans, and media have grown increasingly confident in and reliant on sabermetrics as indicators of past and predicted success of a player.

One of the most commonly used metrics is Wins Above Replacement (WAR), a single number that encapsulates the total contribution of a player to his team. Fangraphs, an online baseball statistics resource and blog-community, describes WAR as the "answer to the question, 'If this player got injured and their team had to replace them with a freely available minor leaguer or a AAAA player from their bench, how much value would the team be losing?" The existence of WAR as a statistic means that a


major league team looking to maximize the number of wins in a season can easily approximate the number of expected wins by calculating the sum of their players' WARs and a number close to 52 , the number of wins expected of a replacement-level team.

The calculation of the batting portion of WAR has grown fairly standardized among the major outlets that calculate it, namely Baseball Reference, Fangraphs, and Baseball Prospectus. WAR covers nearly every possible effect a position player can have on the game with metrics for batting, baserunning, and fielding. This paper will explore one aspect of baseball not (completely) covered by WAR: how a runner's final position depends on the batter. In the popular calculations of WAR, two players receive the same credit for the same "event" type. David Ortiz, a pull-hitting lefty, gets credited an identical number of runs for a single as does Chris Carter, a pull-hitting righty. A pull hitter is a batter who hits balls especially often to one side of the field, particularly the left side for righties and the right side for lefties. Most batters hit the ball to the natural "pull" side of the field more often than to the "opposite field".

Consider the difference between typical singles hit by Ortiz and Carter. Ortiz may hit the ball to the right fielder, while Carter may hit the ball to the left fielder. No big difference there for Ortiz or Carter. On a single with these hit locations, they both make it to first base safely, by definition of the condition. Now consider the same situation with a quick runner on first. Carter hits the ball to the left fielder, who picks up the ball 90 feet from the third baseman. The runner stops short at second, seeing he won't make it to third base before the right fielder's throw reaches the third baseman. Ortiz, however, hits the ball to the right fielder, and the speedster's third base coach waves him on to third, knowing the throw likely won't get there in time from across the field, and more likely won't hit its target with precision, given the distance.

## Win Probability Added and Wins Above Replacement

Win probability added (WPA) measures the increase in the batting team's chances of winning the current game during a specific plate appearance. On March 30, 2008, Nationals Park opened for the Washington baseball team, replacing their 2005-2007 venue, a 1961 concrete cookie-cutter monstrosity
called RFK Stadium, with a packed crowd of 39,389 to see the Nationals take on their division foes, the Atlanta Braves. Ryan Zimmerman batted in the bottom of the 9th inning, score tied 2-2, 2 outs, bases empty, and knocked the ball into the left field bleachers, winning the game and setting the Nationals on a three-year streak of last place finishes in the NL East.

How valuable was this at bat to the Washington Nationals? Well, the answer is actually pretty simple. The Win Expectancy for the Nationals when Zimmerman stepped to the plate was .536 wins, meaning the Nationals had a $53.6 \%$ chance of winning the game. After his at bat, the Nationals had a $100 \%$ chance of winning, translating to exactly 1 win. So Zimmerman's at bat was worth $1-.536=.464$ wins for the Washington Nationals. This is Win Probability Added. It is a historical measure of exactly how many wins each player earned for their team. WPA can be negative, too. Zimmerman had a total WPA of 0.39 on the game because his first three at bats lost the team a $7.4 \%$ chance of winning.

However, WPA is not necessarily the most useful measure for judging a player's performance, because it is so affected by the context of each play. Consider, for example, if instead of 2-2, the Nationals had been down 20-2. A Zimmerman home run would increase the Nationals chances from about $0 \%$ to about $0 \%$, valuing his home run at 0 wins (rather than .466) for the same performance. It is generally accepted in the sabermetric community that "clutch" hitting, or performing differently in different situations, has a minimal effect on a batter's performance, so a Zimmerman home run with the crowd on their feet is no more impressive than a Zimmerman home run in a blowout. Since there is so much variance in leverage of batting situations, while the significance lies in the player's actual actions, we need a measure that more accurately predicts WPA than WPA itself.

Wins Above Replacement (WAR) is effectively a predictor for WPA. It is a combination of wins added in batting, running, and fielding.

## Weighted On-Base Average

The batting portion of WAR, Weighted On-Base Average (wOBA), attempts to measure the average value of all of a batter's plate appearances in expected WPA given an event without context. It is
then scaled to league-level On-Base Percentage (OBP), a more common observational measure with number ranges well understood by the baseball community. For example, the average home run increases the home run-hitting team's chances by $13 \%$, so wOBA assigns each "home run" a weight of .13 , which is then scaled among other wOBA's to a mean equal to the mean OBP. wOBA fails to capture the effect of the hit location of a single, which would make sense as if all batter's hit singles to different locations at different rates, but the Methodology section will show that propensity to advance the runner to third base on a single can be regressed on a batter's attributes, namely handedness.

## Methodology

I divided my project into four steps:

1. Gather and summarize the data.
2. Calculate the average value added of advancing the runner to third base.
3. Find the players who advanced the runner to third base more often.
4. Calculate the value added of those players.

First, I gathered the data I would need. For Win Expectancy, I used a spreadsheet provided by Fangraphs that has calculated the historical odds of the home team winning for each situation with the following parameters: inning, batting team, score differential, outs, and baserunners. For play-by-play data, I downloaded event files from Retrosheet, from 1920 to 2013.

Next, I gathered some quick statistics to get an intuition for this scenario. I ran a Python script that gathered all instances of singles with a runner on first. This accounted for about $5 \%$ of all plays (480,810 in 1920-2013 database), Among these plays, here are the resulting base situations.

Frequency of resulting base situations given single with runner on first

| Resulting base situation | Frequency |
| :--- | :---: |
| 1st and 2nd | $59.7 \%$ |
| 1st and 3rd | $24.5 \%$ |
| 1st, 2nd, and 3rd | $9.6 \%$ |
| No runners | $2.3 \%$ |
| 2nd and 3rd | $2.1 \%$ |
| 2nd | $0.63 \%$ |
| 1st | $0.6 \%$ |
| 3rd | $0.6 \%$ |

As we might expect, about $95 \%$ of the resulting base situations are either 1 st and 2 nd, 1 st and 3 rd , or bases loaded (1st, 2nd, and 3rd). The other $5 \%$ can be explained by errors and runners getting thrown out. The runner advanced to second about $69 \%$ of the time and to third about $27 \%$ of the time.

I then calculated the value added of a single in different relevant situations:

## Value of a single

| Context | Average WPA |
| :--- | :---: |
| Any single | $4.2 \%$ |
| Runner on first | $5.9 \%$ |
| No runner on first | $3.4 \%$ |
| Runner on first, reaches second | $5.1 \%$ |
| Runner on first, reaches third | $7.6 \%$ |

As we see above, the difference in WPA between a single where the runner reaches second and a single where the runner reaches third is about $2.5 \%$, or $.025(1 / 40)$ wins.

Now that I had the true value added of the play, I wanted to calculate each player's probability of achieving this advance for each plate appearance. First I calculated the historical averages, that is, each player's number of singles with a runner on first where the runner advanced to third base divided by the
total number of singles where the runner advanced to either second or third base. Note that this is a simplification; it does not including situations where the runner was thrown out or scored.

Most likely batters to advance the runner to third base (1990-2013), minimum sample $=200$

| Batter | Bats | 1B makes it to | Batter | Bats | 1B makes it to <br> $3 B$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Jim Edmonds | L | 0.481727575 | Carlos <br> Beltran | L | 0.418269231 |
| Dave <br> Magadan | L | 0.477876106 | Jeromy <br> Burnitz | L | 0.416666667 |
| Bobby <br> Higginson | L | 0.459854015 | Barry Bonds | L | 0.416666667 |
| Mo Vaughn | L | 0.453038674 | Ken Griffey, <br> Jr. | L | 0.413202934 |
| Mark Grace | L | 0.444444444 | Jim Thome | L | 0.411392405 |
| Rafael <br> Palmeiro | L | 0.442831216 | Todd Walker | L | 0.410788382 |
| Todd Helton | L | 0.435215947 | Fred McGriff | L | 0.408730159 |
| Tony Gwynn | L | 0.433255269 | Wally Joyner | L | 0.405797101 |
| Will Clark | L | 0.43220339 | Larry Walker | L | 0.403100775 |
| Carlos <br> Delgado | L | 0.431818182 | Jason Giambi | L | 0.401869159 |
| Rusty Greer | L | 0.431095406 | Kirby Puckett | L | 0.400809717 |
| Harold Baines | L | 0.426035503 | Cliff Floyd | L | 0.399141631 |
| Eddie Murray | L | 0.423791822 | Garret <br> Anderson | L | 0.398268398 |
| Cecil Fielder | L | 0.423236515 | J.T. Snow | L | 0.395348837 |
| Darrin <br> Fletcher | L | 0.421940928 | Chipper <br> Jones | L | 0.394444444 |

Least likely batters to advance the runner to third base (1990-2013), minimum sample $=200$

| Batter | Bats | 1B makes it to 3B | Batter | Bats | 1B makes it to 3B |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Benito <br> Santiago |  | 0.157738095 | Kenny Lofton |  | 0.221288515 |
| Otis Nixon |  | 0.157894737 | Gary Gaetti |  | 0.223076923 |
| Reggie Sanders |  | 0.159851301 | Rich Aurilia |  | 0.227891156 |
| Luis Castillo |  | 0.172248804 | Brian Jordan |  | 0.229607251 |
| Scott Brosius |  | 0.184466019 | Nomar Garciaparra |  | 0.231060606 |
| Wil Cordero |  | 0.1886121 | Juan Encarnacion |  | 0.237864078 |
| Ed Sprague |  | 0.193069307 | Andruw Jones |  | 0.237918216 |
| Bernard Gilkey |  | 0.199095023 | Ron Gant |  | 0.238493724 |
| Raul Mondesi |  | 0.202531646 | Deivi Cruz |  | 0.240143369 |
| Tony Womack |  | 0.205479452 | Magglio Ordonez |  | 0.24137931 |
| Miguel Tejada |  | 0.207746479 | Marquis Grissom |  | 0.243735763 |
| Doug Glanville |  | 0.212871287 | Javy Lopez |  | 0.244147157 |
| Craig Biggio |  | 0.213483146 | Jose Guillen |  | 0.245192308 |
| Greg Vaughn |  | 0.217857143 | Glenallen Hill |  | 0.245901639 |
| Jay Buhner |  | 0.219409283 | Jeff Cirillo |  | 0.246376812 |

I saw a lot of lefties at the top of list and righties at the bottom of the list, so that was a good sign. The other thing I noticed was that almost all of the top hitters were power hitters. I realized, then, that many of these batters may have been strategically placed immediately after quick runners in the lineup.

So, to account for the help those runners may be giving the hitters, I created a new statistic which measures the difference between the hitter's historical propensity to advance the runner to third and the average historical propensity of his runners to advance to third, regardless of the batter:

Paboveexpected $=$ Phistorical $/$ Pbatterrunner

Here are some players ranked highly and lowly by Paboveexpected:
Batters most likely to perform better than their runners

| ID | Difference |  |
| :--- | :--- | :--- |
| nichb101 | 1.696157944 | L |
| hende103 | 1.673987907 | L |
| bouce101 | 1.658054615 | L |
| maybj101 | 1.620460525 | L |
| eastl101 | 1.608784236 | L |
| dalrc101 | 1.585507802 | L |
| herre102 |  | 1.579061713 |
| gentj101 | 1.573663694 | L |
| mincd101 | 1.546110897 | L |
| sorrp001 |  | 1.530867415 |
| spenj101 |  | 1.524876727 |
| may-m001 | 1.520962885 | L |
| carbb101 |  | 1.514755304 |
| davia002 |  | L |
| baile101 |  | 1.503651742 |
| coviw101 |  | L |
| heywj001 |  | 1.502511316 |
| kingj101 |  | L |
| mathe101 |  | 1.499614443 |
| epstm101 |  | 1.497952523 |


| ID | Difference | Bats |
| :---: | :---: | :---: |
| tavef101 | 0.453239899 | R |
| abbok002 | 0.45687191 | R |
| cotth001 | 0.507087536 | R |
| sandr002 | 0.518136783 | R |
| jackd002 | 0.519160369 | $R$ |
| zimmd101 | 0.519938503 | R |
| benam001 | 0.52826527 | L |
| nixoo001 | 0.531156686 | B |
| sists101 | 0.538267691 | R |
| wigga001 | 0.53922461 | B |
| rizzp101 | 0.560237516 | R |
| byrdm001 | 0.576355988 | R |
| ceder001 | 0.576751958 | B |
| paquc001 | 0.581274123 | R |
| deerr001 | 0.585084431 | R |
| pedrd001 | 0.589960541 | R |
| snydc001 | 0.593332557 | R |
| sodee101 | 0.596413079 | $R$ |
| duncm001 | 0.60321151 | R |
| verbe101 | 0.603495977 | R |

Summarizing these results, we get that the average left-handed hitter advances the runner to third about .06 more times per plate appearance than an average hitter, and a right-handed hitter advances the runner to third about .03 less per plate appearance than an average hitter. Given that the value of advancing the runner to third is worth .025 wins more than advancing the runner to second, and that a single with a runner on first occurs in $5 \%$ of MLB plays, lefties are worth an average of $.06^{*} .025^{*} .05=$. 000075 wins per plate appearance more than WAR would predict, and righties are worth an average of .
$03^{*} .025^{*} .05=.0000375$ wins per plate appearance less than WAR would predict. For a player given 600 plate appearances, typical for a starting position player, .000075 wins per plate appearance amounts to $600 * .000075=.045$ extra wins per season, not a whole lot, and .0000375 wins per plate appearance amounts to $600 * .0000375=.0225$ fewer wins per season.

## Conclusion

The resulting numbers, .045 extra wins for lefties and .0225 fewer wins for righties, do not seem like much, but a small increase in talent goes a long way in a game with as little variance and as much money as baseball. Using the $\$ 7$ million market value determined by Lewie Pollis of the saber-blog Beyond the Box Score, .045 wins are worth a little over $\$ 300,000$, and .0225 wins are worth over $\$ 150,000$. This means a left-handed starting player with a career length of 15 years is underpaid $\$ 4.5$ million while a right-handed starter with the same career length is overpaid $\$ 2.25$ million. An approximation for the total amount of money misspent in the MLB due to this discrepancy, with about 180000 plate appearances in 2013, about $33 \%$ of whose batters were lefties and $54 \%$ were righties, would be ( $.33 * 180000 * .000075+.54 * 180000 * .0000375$ wins $) * \$ 7$ million $=8.1 * \$ 7$ million $=\$ 56$ million, about the value AL MVP and top WAR earner Mike Trout contributed to the Los Angeles Angels of Anaheim in 2014.

## Numbers in a more digestible format

Average \# wins added by a lefty over the average player, per plate appearance: . 000075
Average \# wins added by a righty over the average player, per plate appearance: -. 0000375
Average \# wins added by a switch hitter over the average player, per plate appearance: 0
Value of 1 WAR (per Fangraphs): $\$ 7$ million
Total absolute Win Probability Added not accounted for by WAR per season: 8.1
1 Mike Trout Unit (MTU): \$56 million
Total value not accounted for by WAR per season: $\$ 56$ million

Sources
Paper:
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